## On matrices and vector field in Minkowski 3-space

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In this work, we give three different forms for matrix $A$ depending on the causel characters of the vector $x$ by analyzing the non-zero solutions of the equation $A(x)=0, x \in \mathbb{E}_{1}^{3}$, in Minkowski 3 -space, where $A$ is the skew-symmetric matrix corresponding to the linear map A. Also, we give some theorems and classifications about integral curves of a linear vector field in Minkowski 3-space.

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